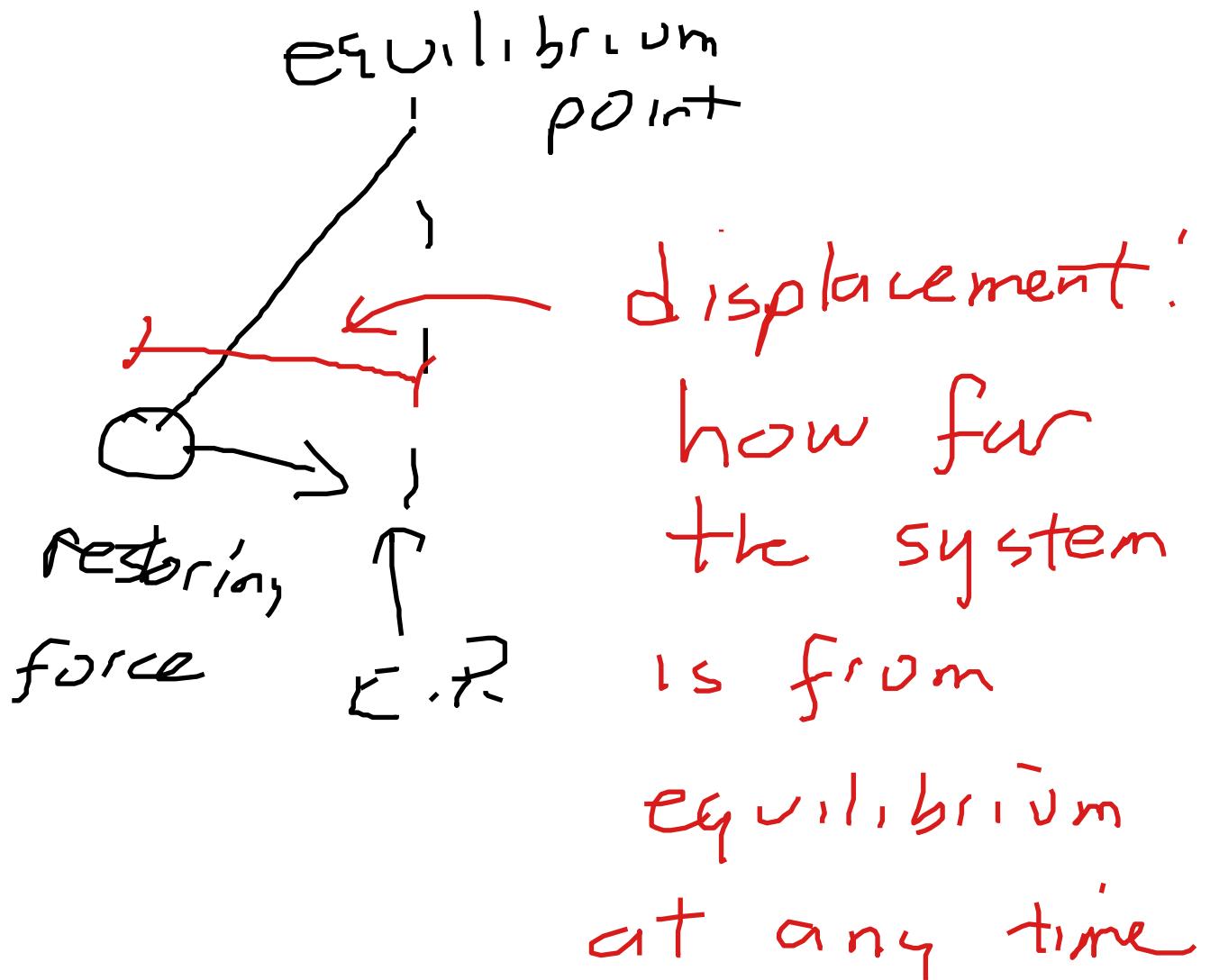


Oscillations

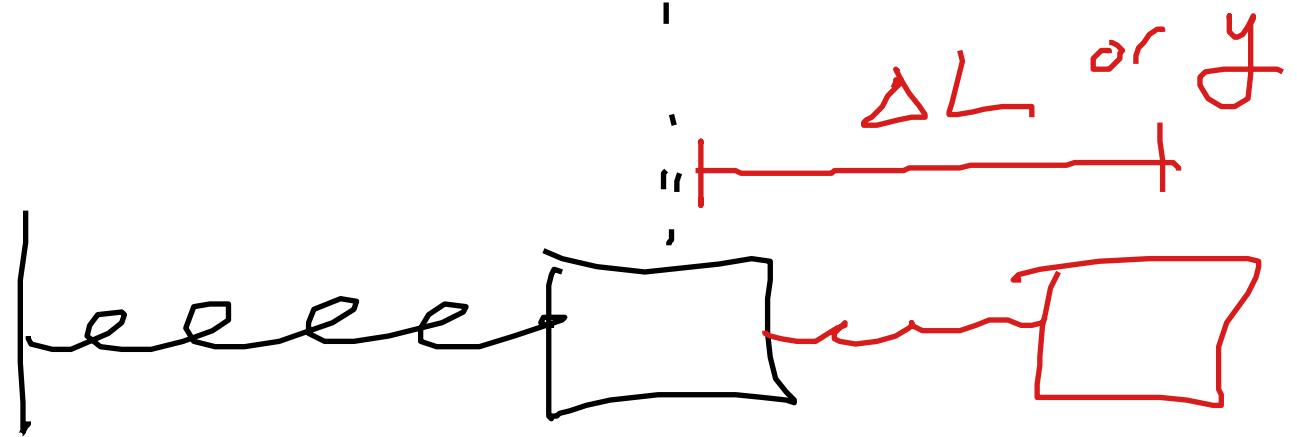


$$y(t)$$

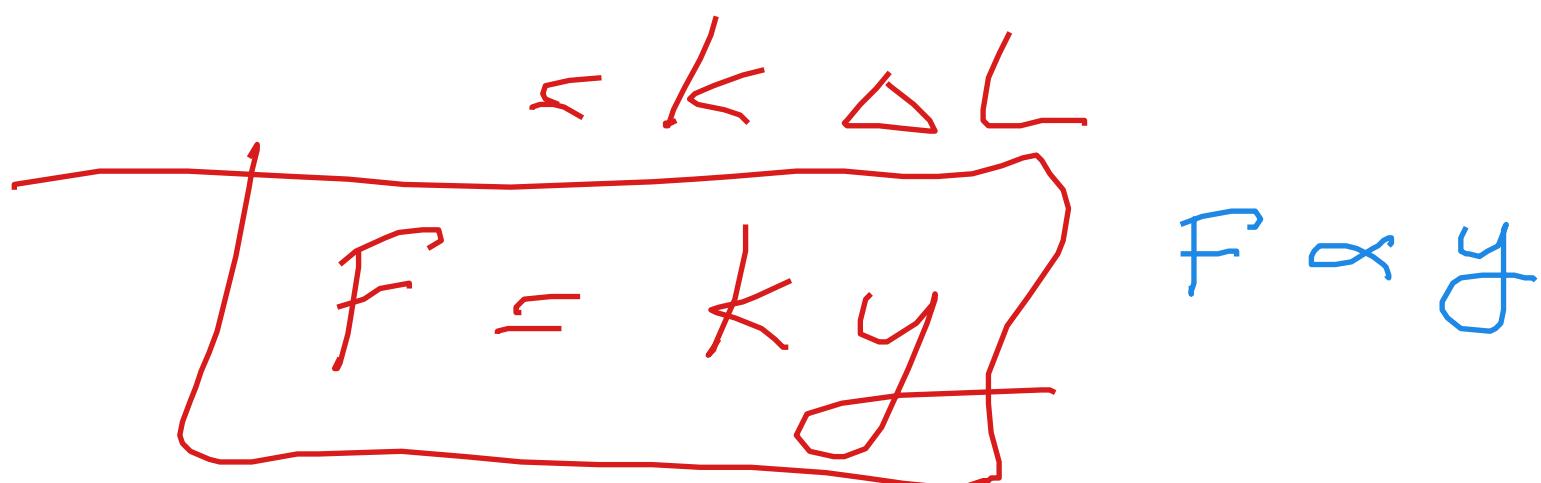
At equilibrium: $y = 0$

If restorins force
is linearly proportional to th
displacement

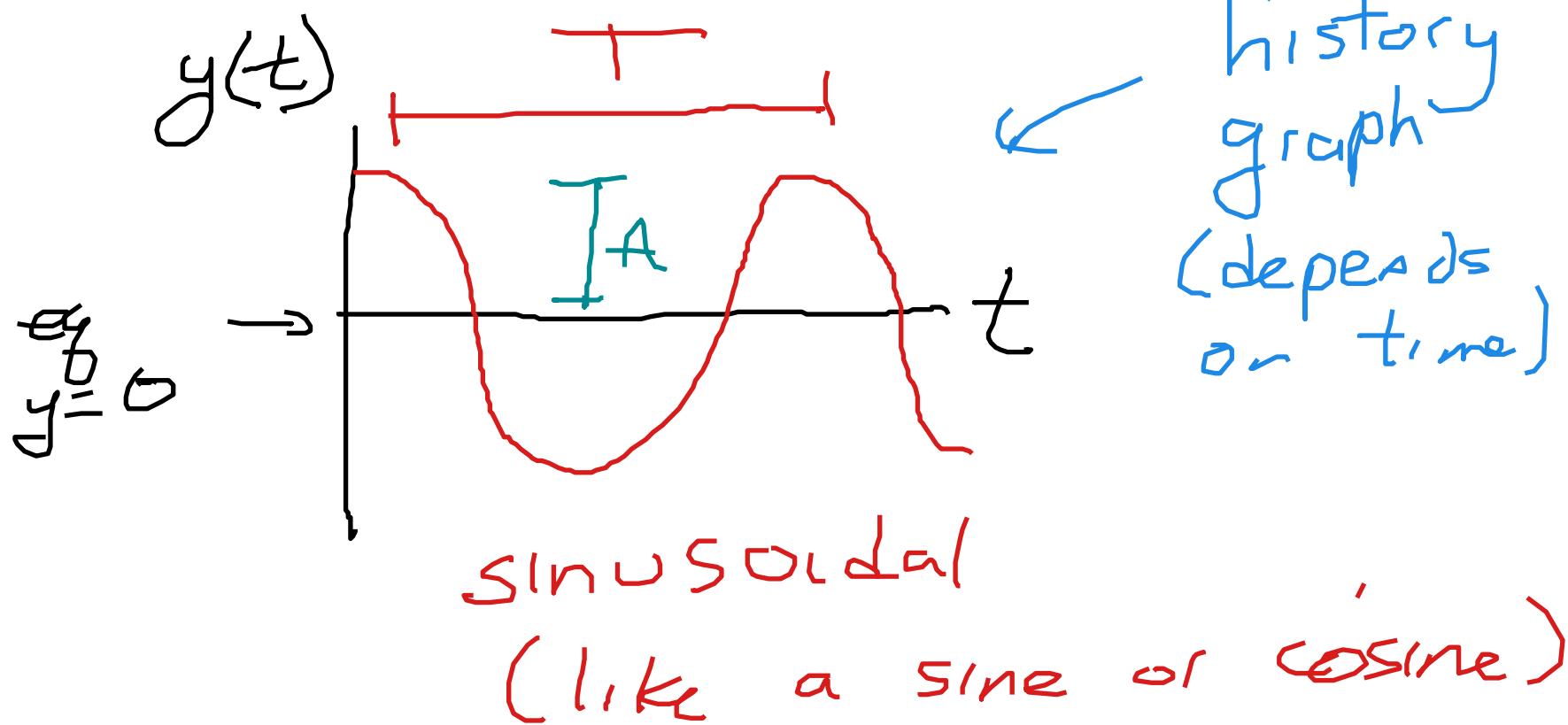
eg.



$$F = k (L - L_0)$$



then oscillation is
simple harmonic motion
(SHM)



$$y(t) = A \cos\left(2\pi \frac{t}{T} + \phi_0\right)$$

In radians

phi

• t : time (s)

• T : period of oscillation (s)

$$\cos \theta = \cos(\theta + 2\pi)$$

$$y(t=0) = A \cos(\theta + \phi_0)$$
$$= A \cos \phi_0$$

$$y(t=T) = A \cos(2\pi \frac{T}{T} + \phi_0)$$

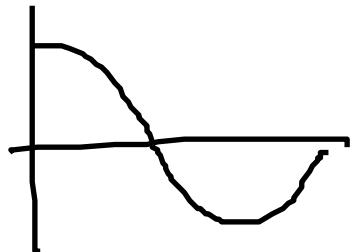
$$= A \cos(2\pi + \phi_0)$$

$$= A \cos \phi_0 = y(t=0)$$

$$f = \frac{1}{T}$$

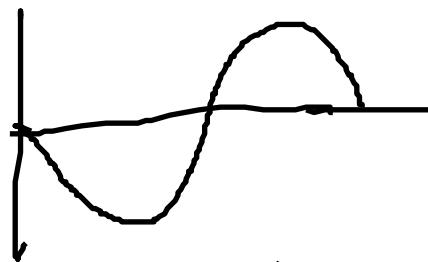
$$y(t) = A \cos(2\pi f t + \phi_0)$$

- A : amplitude of oscillation
furthest distance the object gets from equilibrium
- ϕ_0 : initial phase
 - where the graph starts



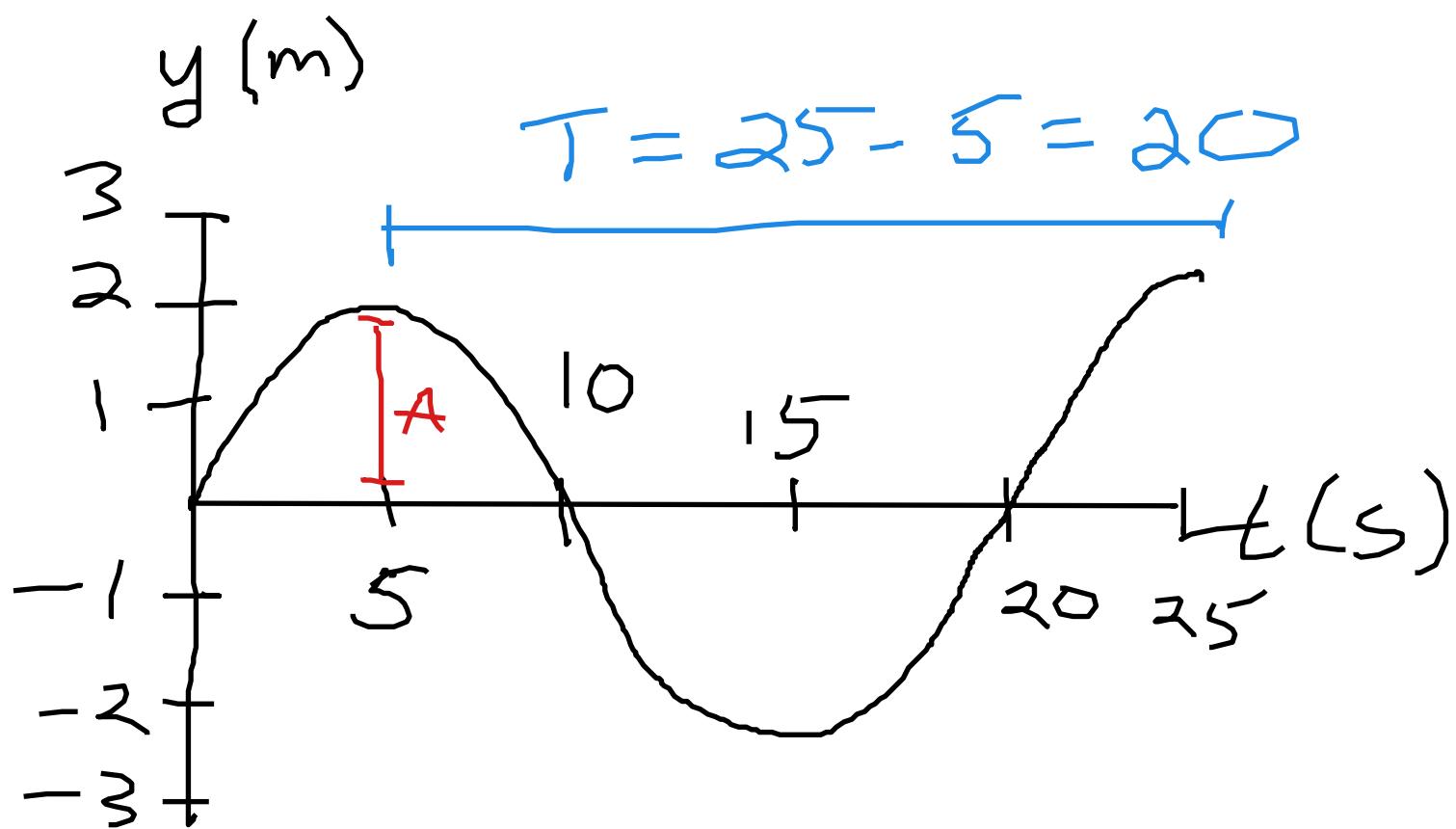
$$A \cos(2\pi f t)$$

$$\phi_0 = 0$$



$$A \cos\left(2\pi f t + \frac{\pi}{2}\right)$$

$$\phi_0 = \frac{\pi}{2}$$

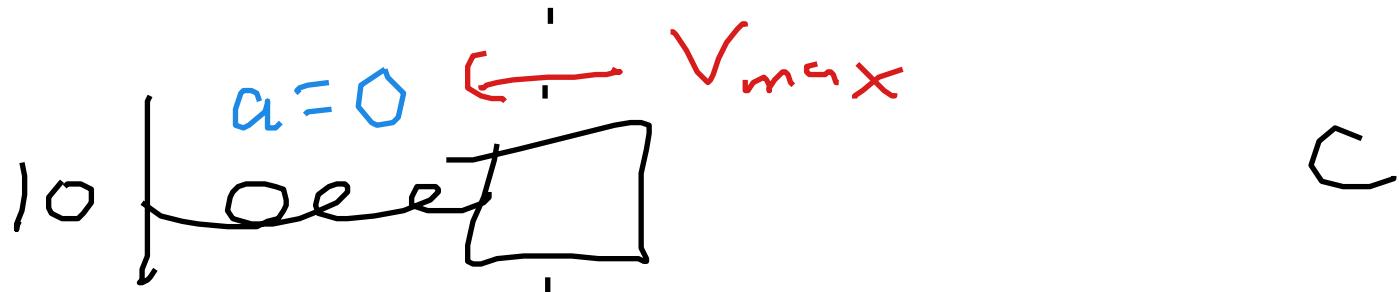
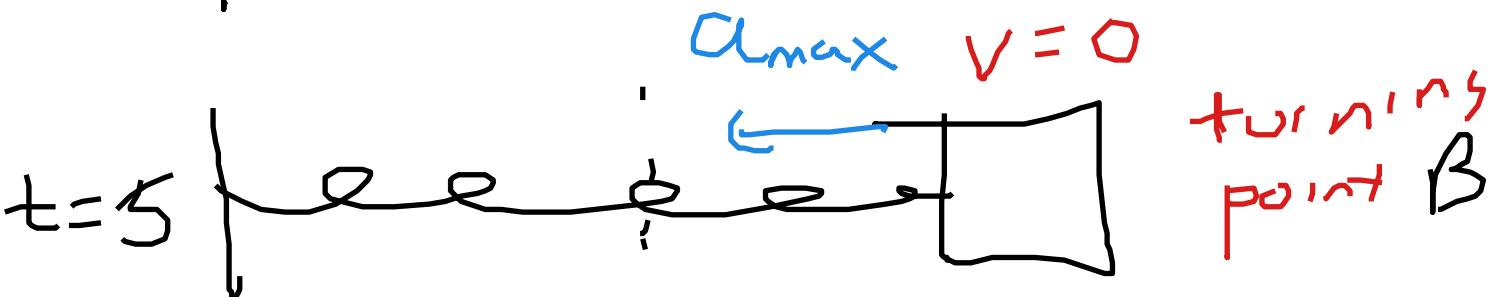
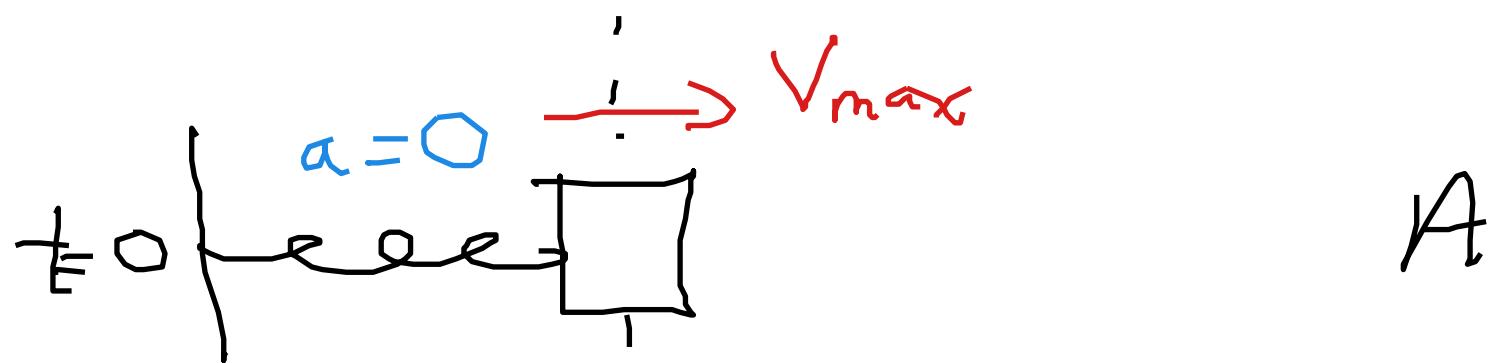


Amplitude? 2m

Period? 20s

Frequency? Find T first

$$f = \frac{1}{T} = \frac{1}{20} \text{ Hz}$$



$$\vec{a} = \frac{\vec{F}_{net}}{m}$$

At turning point, $v = 0$

but $a \neq 0$
(turning \rightarrow changing velocity)

